## Ch07

## Counting Atoms

The weight of $6.022 \times 10^{23}$ singles
The chemists dozen.

## Ch07

## Counting Atoms

## Counting by Weight

- Counting Coins (constant weight)
- Counting Tomatoes (average weight)
- Counting Atoms
- The amu
- Isotopes, Natural Abundance
- The Chemists Dozen, the Mole

- Using Chemical Formula
- Moles of Molecules
- Moles of Atoms
- Formulas as conversion factors
- Molar Mass of Compounds
- scaling between amu and grams
- calculations with mols
- New Conversion Factors
- Avogadro’s Number
- Formula Weight
- (aka Molecular Weight, Formula Mass)
- Molar Weight (aka Molar Mass)
- Mapping Problems
- g $\rightarrow \mathrm{mol}$; atoms $\rightarrow \mathrm{mol} ; \mathrm{g} \rightarrow$ atoms
${ }_{29}^{63} \mathrm{Cu}$
${ }_{29}^{65} \mathrm{Cu}$


Counting by Weight

A banker doesn't count pennies.

- He know's how much a penny weighs. If you give him a bag of pennies he will weigh the bag, divide it by a pennies weight and tell you the bags value.


$$
\begin{aligned}
508 \mathrm{~g} \times \frac{1 \text { Penny }}{2.50 \mathrm{~g}}= & 203,2 \text { Pennies } \\
& 203 \text { Pennies }
\end{aligned}
$$



## Counting by Weight

- A banker doesn't count pennies.
- He know's how much a penny weighs. If you give him a bag of pennies he will weigh the bag, divide it by a pennies weight and tell you the bags value.
- A banquet chef does the same.
- If a recipe calls for 2 tomatoes per serving, he won't count out tomatoes to feed a thousand folks, he'll calculate the weight of 2,000 tomatoes and put baskets of them on the scale until he gets that weight.
- But tomatoes don't have a single weight, like pennies do.
- They come in different sizes.
- So the chef needs to know the average weight of his tomatoes.



## Weighted Averages

- How do you find the average mass of a tomato?
- If you have two tomatoes, you add their mass and divide by the number of tomatoes.


200 grams


100 grams

$$
\frac{200 \mathrm{~g}+100 \mathrm{~g}}{2}=150 \mathrm{~g}
$$

$$
\frac{200 g+200 g+100 g+100 g+100 g+100 g+100 g+100 g+100 g+100 g}{10}=120 g
$$

## Weighted Averages

- How do you find the average mass of a tomato?
- If you have two tomatoes, you add their mass and divide by the number of tomatoes.


200 grams


100 grams

$$
\frac{200 \mathrm{~g}+100 \mathrm{~g}}{2}=150 \mathrm{~g}
$$

- If you have a lot of tomatoes, it might be easier to multiply the amount of tomatoes you have of each mass by that value rather than add them one at a time.
- The number of tomatoes at each mass over the total number of tomatoes is also the percent at each mass if 8 of your 10 tomatoes is 100 grams, that's $80 \%$ of your tomatoes.


- If you have so many tomatoes you don't know the total number, you can take a sample of them and determine the percent that are 100 g and 200 g in your sample.
- As long as the sample is a good representation of the total, it produces the same average mass as if we added the mass of all the tomatoes and divided by the total.
- We weight the heavier value $80 \%$ because those tomatoes occur four times as often as the tomatoes we apply the $20 \%$ weighting factor to.
- We might not know how many tomatoes we have, but if we know 20\% of them mass 200 g and $80 \%$ mass 100 g we know that if we pick up a random bucket of tomatoes the average mass for that bucket will be 120 g each.


## $20 \%$ of $200 \mathrm{~g}+80 \%$ of 100 g

$=0.20 \times 200 \mathrm{~g}+0.80 \times 100 \mathrm{~g}$
$=40 \mathrm{~g}+80 \mathrm{~g}$
$=120 \mathrm{~g}$

## Ch07

## Counting Atoms

- Counting by Weight
- Counting Coins (constant weight)
- Counting Tomatoes (average weight)
- Counting Atoms
$\rightarrow$ The amu
- Isotopes, Natural Abundance
- The Chemists Dozen, the Mole
- Defining the Mole
- scaling between amu and grams
- calculations with mols
- New Conversion Factors
- Avogadro’s Number
- Formula Weight
- (aka Molecular Weight, Formula Mass)
- Molar Weight (aka Molar Mass)
- Mapping Problems
- g $\rightarrow \mathrm{mol}$; atoms $\rightarrow \mathrm{mol} ; \mathrm{g} \rightarrow$ atoms
- Using Chemical Formula
- Moles of Molecules
- Moles of Atoms
- Formulas as conversion factors
- Molar Mass of Compounds
${ }_{29}^{63} \mathrm{Cu}$
${ }_{29}^{65} \mathrm{Cu}$



## Counting by Weight

- A banker doesn't count pennies.
- He know's how much a penny weighs. If you give him a bag of pennies he will weigh the bag, divide it by a pennies weight and tell you the bags value.
- A banquet chef does the same.
- If a recipe calls for 2 scallions per serving, he won't count out scallions to feed a thousand folks, he'll calculate the weight of 2,000 scallions and put baskets of them on the scale until he gets that weight.
- Chemists are in the same boat.
- Our recipe calls for 2 atoms of hydrogen and 1
of oxygen per serving, to make water. But we need $10^{23}$ servings to fill a thimble with water.
- Just like a banker needs to know the weights of quarters and pennies, we need to know the weights of carbon atoms, nitrogen atoms, and hydrogen atoms. We need the weights of our elements.



## Counting by Weight

- Every flavor atom is made of neutrons \& protons.
- It's convenient when we're working on a molecular scale to have a unit of weight about the size of a neutron or proton.
- We call that unit amu (atomic mass unit).
- Most interesting molecules are made of carbon.
- The most common isotope of carbon is made almost entirely of 6 protons and 6 neutrons.
- An amu is defined as:
exactly $1 / 12$ the mass of Carbon-12
- 1 amu is measured to be $1.6606 \times 10^{-24} \mathrm{~g}$.
$\Rightarrow \quad$ (you don't need to memorize this)
- A chef weighing tomatoes doesn't use the weight of the largest tomato or the smallest. He uses the average weight of a tomato.
- Not all carbon atoms weigh the same, if we're weighing out carbon atoms we want to use average weight of a carbon atom.
- How do we get the average weight?



## Counting Atoms

- Counting by Weight
- Counting Coins (constant weight)
- Counting Tomatoes (average weight)
- Counting Atoms
- The amu


Isotopes, Natural Abundance

- The Chemists Dozen, the Mole

- Using Chemical Formula
- Moles of Molecules
- Moles of Atoms
- Formulas as conversion factors
- Molar Mass of Compounds
- scaling between amu and grams
- calculations with mols
- New Conversion Factors
- Avogadro’s Number
- Formula Weight
- (aka Molecular Weight, Formula Mass)
- Molar Weight (aka Molar Mass)
- Mapping Problems
- g $\rightarrow \mathrm{mol}$; atoms $\rightarrow \mathrm{mol} ; \mathrm{g} \rightarrow$ atoms
${ }_{29}^{63} \mathrm{Cu}$
${ }_{29}^{65} \mathrm{Cu}$



## Average Atomic Mass

- The periodic table only reports one mass for each element, how does that work if each element has isotopes of different masses?
- The ratio of naturally occurring isotopes of each element is known.
- Every time we pour out a sample of copper, we know $69 \%$ of it's atoms are copper-63 and $31 \%$ are copper-65.

| Isotope | Isotopic mass <br> $(\mathrm{amu})$ | Abundance (\%) | Average atomic <br> mass (amu) |
| :---: | :---: | :---: | :---: |
| ${ }_{29}^{63} \mathrm{Cu}$ | 62.9298 | 69.09 |  |
| ${ }_{29}^{65} \mathrm{Cu}$ | 64.9278 | 30.91 | 63.55 |

- Everytime.
- So we don't care what the mass of each isotope is, just what the mass on average - of a copper atom.
- The periodic table represents an average atomic mass for that element.



## Average Atomic Mass

- The periodic table only reports one mass for each element, how does that work if each element has isotopes of different masses?
- The ratio of naturally occurring isotopes of each element is known.
- Every time we pour out a sample of copper, we know $69 \%$ of it's atoms are copper-63 and $31 \%$ are copper-65.
- Every time.
- So we don't care what the mass of each isotope is, just what the mass - on average - of a copper atom.
- The periodic table gives us an average atomic mass for that element.


| $\begin{gathered} 58 \\ \mathrm{Ce} \\ 140.12 \end{gathered}$ | $\begin{gathered} 59 \\ \mathrm{Pr} \\ 140.91 \end{gathered}$ | $\begin{gathered} 60 \\ \mathrm{Nd} \\ 144.24 \end{gathered}$ | $\begin{gathered} 61 \\ \text { Pm } \\ {[145]} \end{gathered}$ | $\begin{gathered} 62 \\ \mathrm{Sm} \\ 150.36 \end{gathered}$ | $\begin{gathered} 63 \\ \text { Eu } \\ 151.96 \end{gathered}$ | $\begin{gathered} 64 \\ \text { Gd } \\ 157.25 \end{gathered}$ | $\begin{gathered} 65 \\ \mathbf{T b} \\ 158.93 \end{gathered}$ | $\begin{gathered} 66 \\ \text { Dy } \\ 162.50 \end{gathered}$ | $\begin{gathered} 67 \\ \text { Ho } \\ 164.93 \end{gathered}$ | $\begin{gathered} 68 \\ \text { Er } \\ 167.26 \end{gathered}$ | $\begin{gathered} 69 \\ \mathrm{Tm} \\ 168.93 \end{gathered}$ | $\begin{gathered} 70 \\ \text { Yb } \\ 173.05 \end{gathered}$ | $\begin{gathered} 71 \\ \mathrm{Lu} \\ 174.97 \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 90 | 91 | 92 | 93 | 94 | 95 | 96 | 97 | 98 | 99 | 100 | 101 | 102 | 103 |
| Th | Pa | U | Np | Pu | Am | Cm | Bk | Cf | Es | Fm | Md | No | Lr |
| 232.04 | 231.04 | 238.03 | [237.05] | [244.06] | [243.06] | [247.07] | [247.07] | [251.08] | [252.08] | [257.10] | [258.10] | [259.10] | [262.11] |



## Average Atomic Mass

## $1 \mathrm{Cu}=63.55 \mathrm{amu}$

## Important:

This is about $631 / 2$ protons. No copper atom has ever weighed this.
Protons don't come in $1 / 2$ 's. This is an average weight.
What's the average weight of a copper atom?

$$
1 C u \times \frac{63.55 \mathrm{amu}}{1 C u}=63.55 \mathrm{amu}
$$

What's the weight of 17 copper atoms?


$$
\begin{aligned}
& 17 \mathrm{Cu}_{u} \cdot \frac{63.55 \mathrm{amu}}{1 \mathrm{cu}_{u}}=1,080,35 \mathrm{amu} \\
& \binom{\text { conbty }}{\infty \sin } \text { 4sh. }=1,080 \mathrm{amu}
\end{aligned}
$$

How many copper atoms in two pennies?
(a penny weighs about 3.0 grams, an amu $=1.6606 \times 10^{-24} \mathrm{~g}$ )

$$
\begin{aligned}
& \text { perny } \rightarrow \mathrm{g} \rightarrow \mathrm{zmu} \rightarrow \text { atoms } \\
& 2 \text { ponny } \cdot \frac{3.0 \mathrm{~g}}{1 \text { penny }} \cdot \frac{1 \text { amu }}{1.6606 \times 10^{-24} \cdot 9} \cdot \frac{1 C u}{63.552 \mathrm{mu}}=5,68553 \times 10^{22} \\
& \text { (cailyt. 2st. 5st. } \begin{array}{c}
\text { cst. } \\
\text { st. } \\
\hline \text { st. } \\
5,7 \times 10^{22} \\
\text { copper atoms }
\end{array}
\end{aligned}
$$

## Problems:

- we need a ratio of atoms for our recipes (ie $\mathrm{H}_{2} \mathrm{O}$ )
- in the lab we want to use grams
- we don't want to have to convert to amu every time we need to count atoms
- and $\times 10^{24}$ is awkward number to work with anvwav.


## Ch07

## Counting Atoms

- Counting by Weight
- Counting Coins (constant weight)
- Counting Tomatoes (average weight)
- Counting Atoms
- The amu
- Isotopes, Natural Abundance

The Chemists Dozen, the Mole

- Defining the Mole
- scaling between amu and grams
- calculations with mols
- New Conversion Factors
- Avogadro’s Number
- Formula Weight
- (aka Molecular Weight, Formula Mass)
- Molar Weight (aka Molar Mass)
- Mapping Problems
- g $\rightarrow \mathrm{mol}$; atoms $\rightarrow \mathrm{mol} ; \mathrm{g} \rightarrow$ atoms
- Using Chemical Formula
- Moles of Molecules
- Moles of Atoms
- Formulas as conversion factors
- Molar Mass of Compounds
${ }_{29}^{63} \mathrm{Cu}$
${ }_{29}^{65} \mathrm{Cu}$



## The Chemist's Dozen

- A recipe doesn't always list ingredients by single servings. Sometimes it uses dozens, score, or gross.
- When you're cooking for large groups, your recipe might call for 4 dozen eggs or 6 gross of dumplings.
- 1 dozen = 12 singles
- 1 score $=20$ singles
- 1 gross = 144 singles
- Working with dozens instead of singles let's a chef prepare on a scale $12 x$ his design scale.

- We need to go from amu things ( $1 \mathrm{amu}=1.6606 \times 10^{-24} \mathrm{~g}$ ) to gram things (lab scale).
- 1 gram $\div 1 \mathrm{amu}($ (in grams $)=6.022 \times 10^{23}$

1 gram $\div 1.661 \times 10^{-24}$ grams $=6.022 \times 10^{23}$

- We call $6.022 \times 10^{23}$ singles a mole.
- It's the chemists dozen. We abbreviate mole as mol.
- A mol is a measurement, we will determine it to 4 sig figs and use it with 4 sig figs for most of this class.
- The number of singles in a mol is called Avogadro's Number.
- A mol is officially defined as the number of Carbon-12 atoms in 12 grams of pure Carbon-12 (you get the same number)


## The Chemist's Dozen

$1 \mathrm{~mol}=6.022 \times 10^{23}$ singles
How many atoms in exactly 1 mol Copper (Cu)?
exad, $1 \mathrm{~mol} \mathrm{Cu} \cdot \frac{6.022 \times 10^{23} \text { ztoms }}{1 \mathrm{~mol}}=6.022 \times 10^{23}$ atoms $C_{u}$

How many atoms in 2.53 mol Copper (Cu)?

$2.53 \mathrm{~mol} C_{\cup} \cdot \frac{6.022 \times 10^{23} \text { atoms }}{1 \mathrm{~mol}}=1.52357 \times 10^{24}$ atoms $C$ $1.52 \times 10^{24}$ atoms $C_{0}$
How many mol Cu in 30.5 grams Cu?

$$
g \rightarrow \text { amu } \rightarrow \text { ztoms } \rightarrow \text { mol Theres en ezsier ury! }
$$

How many Cu atoms in 30.5 grams Cu?

## Atomic Weights / Molar Weights

- Weights are listed in the periodic table without units.
- The weight listed is the average mass of one atom of each element, in amu.

```
1 gram \div 1.6606 x 10-24 grams = 6.022 \times 10 23
    1 gram \div1 amu = 1 mol
    1 gram = 1 mol x 1 amu
```

- That means:

1 mol of anything will weigh in grams, what a single of that anything weighs in amu.

- If a cat weighs $X$ amu, a mol of cats weighs $X$ grams.
- That means each weight in the periodic table is:
- the weight of 1 atom of that element, in amu
- the weight of 1 mol of that element, in grams
- Reading from the periodic table...
- a hydrogen atom $(\mathrm{H})$ weighs 1.008 amu
- a mol of hydrogen atoms $(\mathrm{H})$ weigh 1.008 g
- a copper atom $(\mathrm{Cu})$ weighs 63.55 amu
- a mol of copper atoms (Cu) weighs 63.55 g

$1 \mathrm{H}=1.008 \mathrm{amu}$ $1 \mathrm{~mol} \mathrm{H}=1.008 \mathrm{~g}$
$1 \mathrm{Cu}=63.55 \mathrm{amu}$
$1 \mathrm{~mol} \mathrm{Cu}=63.55 \mathrm{~g}$


## Ch07

## Counting Atoms

- Counting by Weight
- Counting Coins (constant weight)
- Counting Tomatoes (average weight)
- Counting Atoms
- The amu
- Isotopes, Natural Abundance
- The Chemists Dozen, the Mole
- Defining the Mole
- scaling between amu and grams
- calculations with mols

New Conversion Factors


- Using Chemical Formula
- Moles of Molecules
- Moles of Atoms
- Formulas as conversion factors
- Molar Mass of Compounds

$$
\begin{aligned}
& { }_{29}^{63} \mathrm{Cu} \\
& \quad{ }_{29}^{65} \mathrm{Cu}
\end{aligned}
$$

- Avogadro’s Number
- Formula Weight
- (aka Molecular Weight, Formula Mass)
- Molar Weight (aka Molar Mass)
- Mapping Problems
- g $\rightarrow \mathrm{mol}$; atoms $\rightarrow \mathrm{mol} ; \mathrm{g} \rightarrow$ atoms



## New Conversion Factors

You are responsible for these conversion factors, a periodic table will be provided.

Avogadro's Number
$1 \mathrm{~mol}=6.022 \times 10^{23}$ singles


Atomic Mass
1 copper atom = 63.55 amu

Molar Mass

| $\begin{aligned} & \text { 1B } \\ & 11 \end{aligned}$ |
| :---: |
| 29 |
| Cu |
| 63.55 |
| 47 |
| Ag |

1 mol copper atoms $=63.55$ grams

## Atomic Mass \& Avogadro’s Number

## Elements like Copper (Cu)

- Two important conversion factors:
- Molar Mass/Atomic Mass
(the average mass of atoms of that elements)
- We get this from the periodic table
- It tell's us the weight of:
- 1 mol of a substance (in grams)
- 1 atom of a substance (in amu)

$$
\begin{gathered}
\text { grams } \longrightarrow \mathrm{mol} \\
16.5 \mathrm{gCu} \cdot \frac{1 \mathrm{~mol}}{63.55 \mathrm{~g}}=0.260 \mathrm{~mol} \mathrm{Cu}
\end{gathered}
$$

- Avogadro's Number
- $6.022 \times 1023$
- It's a measurement
- You have to memorize it
- It let's us go from the moles to molecules or atoms

$$
\text { mol } \rightarrow \text { molecules }
$$

$0.260 \mathrm{~mol} \mathrm{Cu} \cdot \frac{6.022 \times 10^{23}}{1 \mathrm{~mol}}=1.56 \times 10^{23}$ moleculs


## Ch07

## Counting Atoms

- Counting by Weight
- Counting Coins (constant weight)
- Counting Tomatoes (average weight)
- Counting Atoms
- The amu
- Isotopes, Natural Abundance
- The Chemists Dozen, the Mole
- Defining the Mole
- scaling between amu and grams
- calculations with mols
- New Conversion Factors
- Avogadro’s Number
- Formula Weight
- (aka Molecular Weight, Formula Mass)
- Molar Weight (aka Molar Mass)

Mapping Problems

- g $\rightarrow \mathrm{mol}$; atoms $\rightarrow \mathrm{mol} ; \mathrm{g} \rightarrow$ atoms
- Using Chemical Formula
- Moles of Molecules
- Moles of Atoms
- Formulas as conversion factors
- Molar Mass of Compounds
${ }_{29}^{63} \mathrm{Cu}$
${ }_{29}^{65} \mathrm{Cu}$



## Counting by Weight

$1 \mathrm{~mol}=6.022 \times 10^{23}$ singles
How many atoms in exactly 1 mol Copper (Cu)?
extol $1 \mathrm{~mol} C_{u} \cdot \frac{6.022 \times 10^{23} 2 \operatorname{toms}}{1 \mathrm{~mol}}=\left(6.022 \times 10^{23}\right.$ atoms $Q_{u}$

How many atoms in 2.53 mol Copper $(\mathrm{Cu})$ ?

$2.53 \mathrm{~mol} C_{U} \cdot \frac{6.022 \times 10^{23}}{1 \mathrm{~mol}}=1.52357 \times 10^{24}$ atoms $C$
$1 \mathrm{~mol} \mathrm{Cu}=63.55 \mathrm{~g}$

How many mol Cu in 30.5 grams Cu?

$$
1.52 \times 10^{24} \text { atoms } C
$$

$g \rightarrow$ mo

$$
\begin{gathered}
30.5 \mathrm{~g} \mathrm{Cu} \cdot \frac{1 \mathrm{~mol}}{63.55 \mathrm{~g}}=\frac{4.79937 \times 10^{-1} \mathrm{~mol} \mathrm{Cu}}{3 \mathrm{st}} 4 \mathrm{st} \\
\hline 0.480 \mathrm{~mol} \mathrm{Cu}
\end{gathered}
$$

How many Cu atoms in 30.5 grams Cu ?

$$
\begin{gathered}
\mathrm{g} \rightarrow \mathrm{~mol} \rightarrow \text { atoms } \\
30.5 \mathrm{~g} \mathrm{Cu}_{u} \cdot \frac{1 \mathrm{~mol}}{63.55 \mathrm{~g}} \cdot \frac{4.022 \times 10^{23}}{1 \mathrm{~mol}} \text { atoms }=\frac{2.8901809 \times 10^{23} \text { atoms }}{2.89 \times 10^{23} \text { atoms } \mathrm{Cu}^{4}}
\end{gathered}
$$



How many atoms?
A gold ring weighs 1.24 grams. How many atoms of gold are in it?

$$
\begin{aligned}
& \mathrm{g} \rightarrow \mathrm{~mol} \rightarrow \text { atoms } \\
& 199.97 \mathrm{~s} / \mathrm{mol} \\
& 6.022 \times 10^{23} \frac{\text { single atoms }}{\text { mol atoms }} \\
& \operatorname{lng} \cdot \frac{1.24 \mathrm{~g}}{1 \text { ring }} \times \frac{1 \mathrm{~mol}}{199.97 \mathrm{~s}} \times \frac{6.022 \times 10^{23}}{1 \mathrm{~mol}} \\
& =373 \times 10^{21} \text { toms }
\end{aligned}
$$

How many grams?
An experiment calls for 4.3 mols of Calcium atoms, how many grams of pure calcium should you weigh out?

Weight of 4 atoms?
A phosphorus molecule is composed of 4 atoms of phosphorus. What is it's weight in AMIs?

$$
\text { P30,97 } \frac{\mathrm{amu}}{\text { atom }} \text { atoms } \longrightarrow \text { amu }
$$

## Ch07

## Counting Atoms

- Counting by Weight
- Counting Coins (constant weight)
- Counting Tomatoes (average weight)
- Counting Atoms
- The amu
- Isotopes, Natural Abundance
- The Chemists Dozen, the Mole



## Using Chemical Formula

- Moles of Molecules
- Moles of Atoms
- Formulas as conversion factors
- Molar Mass of Compounds
${ }_{29}^{63} \mathrm{Cu}$
${ }_{29}^{65} \mathrm{Cu}$



## The Molecular Blueprint


$\mathrm{C}_{6} \mathrm{H}_{2}\left(\mathrm{NO}_{2}\right)_{3} \mathrm{CH}_{3}$
6+1 Carbon Atoms
2+3 Hydrogen Atoms
$3 \mathrm{NO}_{2}$ Groups
3 (3x1) Nitrogen Atoms
6 (3x2) Oxygen Atoms

- Chemical Formulas Identify Compounds
- We use them as shorthand to name of a substance ("Pass me the $\mathrm{H}_{2} \mathrm{O}$ ")
- Chemical Formulas indicate
the composition of a substance.
- Each element is indicated with it's symbol.
- The a subscript indicates the total number of atoms of that element.
- Subscripts of 1 are omitted.
- Omitted subscripts mean 1.
- Parenthesis are used to indicate groups of atoms.
- Chemical Formulas may contain hints of the connectivity of the atoms.
- Chemical Formulas may show a $\mathrm{CH}_{3}$ group of atoms and three $\mathrm{NO}_{2}$ groups of atoms are bonded to a $\mathrm{C}_{6} \mathrm{H}_{2}$ group by writing:
$\mathrm{C}_{6} \mathrm{H}_{2}\left(\mathrm{NO}_{2}\right)_{3} \mathrm{CH}_{3}$
instead of: $\mathrm{C}_{7} \mathrm{H}_{5} \mathrm{~N}_{3} \mathrm{O}_{6}$

Problem:
You have 2.85 mols of $\mathrm{C}_{6} \mathrm{H}_{2}\left(\mathrm{NO}_{2}\right)_{3} \mathrm{CH}_{3}$ (trinitrotoluene). How many atoms of oxygen do you have?

Solution

$$
\begin{aligned}
& \vdots \operatorname{mol} \text { TNT } \rightarrow \text { molecules TNT } \rightarrow \text { atoms } O \\
& 6.022 \times 10^{23} \text { singles }=1 \mathrm{~mol} \\
& \text { poses) } \\
& 2,85 \mathrm{~mol} \text { TNT } \cdot \frac{6.022 \times 10^{23} \text { molecules }}{1 \mathrm{~mol}} \cdot \frac{6 \text { oxysenatoms }}{1 \text { mobile TNT }} \\
& =1.029762 \times 10^{25} \text { atoms } \\
& 1 \mathrm{C}_{6} \mathrm{H}_{2}\left(\mathrm{NO}_{2}\right)_{3} \mathrm{CH}_{3}=60 \\
& =1,03 \times 10^{25} \text { atoms } 0
\end{aligned}
$$

## Molecular Weight/Molar Mass

- Molar Mass also applies to molecules and compounds.
- We know the atomic weight of elements, what one atoms weighs in amu and what one mole of atoms weigh in grams.
- We can use that information to figure out for compounds what one molecule weighs or one mole of molecules weigh.

What is the molecular weight of $\mathrm{CO}_{2}$ ? (in amu)

$$
\frac{1 C \text { atom 12,01/ } \mathrm{mmv}}{20 \text { atom 32.001 } \mathrm{Imv}(2 \times 16,00 \mathrm{mv})} \begin{aligned}
& 1 \mathrm{CO}_{2}=44.01 \mathrm{imv}
\end{aligned}
$$

What is the molar mass of $\mathrm{CO}_{2}$ ? (in grams)

$$
\frac{\begin{array}{l}
1 \mathrm{molC} C \\
2 \mathrm{~mol} \mathrm{O} \\
12.01: \text { grams } \\
12.00: \text { grems }
\end{array}(2 \times 16.00 \mathrm{~g})}{1 \mathrm{~mol} \mathrm{CO}}=44.01: \text { grams }
$$

What does 2.57 mol of $\mathrm{CO}_{2}$ weigh?
$2.57 \mathrm{~mol} \mathrm{CO} \cdot \frac{44.01 \mathrm{~g}}{1 \mathrm{~mol} \mathrm{CO}}=113.1057 \mathrm{~g}$
3 st. 4st. $113 \mathrm{~g} \mathrm{CO}_{2}$ (3sf)


How many moles of $\mathrm{CO}_{2}$ are in 53.256 grams?
$53.256 \mathrm{~g} \mathrm{CO} 2 \cdot \frac{1 \mathrm{nol} \mathrm{cos}_{2}}{44.01 \mathrm{~g}}=1.2100886 \mathrm{~mol}$
5s. 45t


## Molecular Formula \& Molar Mass

## Molecules like Water $\left(\mathrm{H}_{2} \mathrm{O}\right)$

- Two more conversion factors.
- Molecular Formula (\& Empirical Formula)
- It let's us understand the composition of molecules.
- We can use it as a conversion factor to go from molecules to how many atoms of any kind are in that molecule.
moleculos $\mathrm{H}_{2} \mathrm{O} \rightarrow$ atoms H
725 molecules $\mathrm{H}_{2} \mathrm{O} \cdot \frac{2 \mathrm{H}}{1 \mathrm{H}_{2} \mathrm{O}}=1,450$ atans H
- Molar Mass/Molecular Mass
- It relates weight to mols for whole molecules.

$$
\mathrm{mol} \rightarrow \text { grms }
$$

$2.5 \mathrm{~mol} \mathrm{H} \mathrm{H} \mathrm{O} \cdot \frac{18.02 \mathrm{~g}}{1 \mathrm{~mol}}=45.05 \mathrm{~g} \mathrm{H} 2 \mathrm{O}$


Problem:
Your experiment requires 4.26 mols of magnesium chloride $\left(\mathrm{MgCl}_{2}\right)$. What mass of magnesium chloride do you weigh out for this experiment?

SolutionFind mole mass of $\mathrm{CO}_{2}$.

C $12.01 \mathrm{~g} / \mathrm{mol}$$16.00 \mathrm{~g} / \mathrm{mol}$

$$
\begin{aligned}
& 1(c)=1(12,01)=12,01 \\
& 2(0)=2(16,00)=\frac{32,00}{44,010 / m 01}
\end{aligned}
$$

$$
\text { (2) } 3.4 \mathrm{~mol} \mathrm{CO}_{2} \cdot \frac{44.01 \mathrm{gCO}_{2}}{1{\mathrm{~mol} \mathrm{CO}_{2}}_{1.150 \mathrm{~g} \mathrm{CO}_{2}}^{14,634 \mathrm{~g} \mathrm{CO}} 2}
$$

Problem:
Your experiment requires 4.26 mols of magnesium chloride $\left(\mathrm{MgCl}_{2}\right)$. What mass of magnesium chloride do you weigh out for this experiment?

Solution
$\mathrm{M} / \mathrm{g} \quad 24.31 \mathrm{~g} / \mathrm{mol}$
Cl $35.45 \mathrm{~g} / \mathrm{ml}$
(1) Find molar mass of $\mathrm{NgCl}_{2}$
(2)


Problem:
You do an experiment that produces 15.35 grams of nitrogen trioxide $\left(\mathrm{NO}_{3}\right)$.
How many moles of $\mathrm{NO}_{3}$ were produced?

Solution

$$
\begin{aligned}
& N=14,01 \mathrm{~g} / \mathrm{mol} \\
& O=16,00 \mathrm{~g} / \mathrm{mol}
\end{aligned}
$$

(1) Find mole mass of $\mathrm{NO}_{3}$
(2) $g \rightarrow m_{01}$
(1)

$$
\begin{aligned}
& 1(N)=1(14,01) \\
& 3(0)=3(16,00)=\frac{48,019 / 9}{62.07 \mathrm{~g}} \\
& \mathrm{NO}_{3} 62,01 \mathrm{~g} / \mathrm{mol}
\end{aligned}
$$

$$
\begin{aligned}
15.35 \mathrm{~g} \mathrm{N102} \cdot \frac{1 \mathrm{~mol}}{62.01 \mathrm{~g}} & =0.2475407 \mathrm{~g} \\
& =0.2475 \mathrm{~g}
\end{aligned}
$$

## Counting Atoms

- Counting by Weight
- Counting Coins (constant weight)
- Counting Tomatoes (average weight)
- Counting Atoms
- The amu
- Isotopes, Natural Abundance
- The Chemists Dozen, the Mole

- Using Chemical Formula
- Moles of Molecules
- Moles of Atoms
- Formulas as conversion factors
- Molar Mass of Compounds
- Defining the Mole
- scaling between amu and grams
- calculations with mols
- New Conversion Factors

$$
\begin{aligned}
& { }^{23} \mathrm{Cu} \\
& { }_{29}^{65} \mathrm{Cu}
\end{aligned}
$$

- Avogadro’s Number
- Formula Weight
- (aka Molecular Weight, Formula Mass)
- Molar Weight (aka Molar Mass)
- Mapping Problems
- g $\rightarrow \mathrm{mol}$; atoms $\rightarrow \mathrm{mol} ; \mathrm{g} \rightarrow$ atoms



## Questions?

